

LAMPIRAN

7.1 Tahapan Perhitungan Perancangan Heat Exchanger

1. mencari Q (beban panas) dari neraca panas
2. menentukan Δt

$$\Delta t \text{ LMTD} = \frac{(T_1 - t_2) - (T_2 - t_1)}{\ln \frac{(T_1 - t_2)}{(T_2 - t_1)}}$$

$$\Delta t = \Delta t \text{ LMTD} \times \text{FT}$$

- a. untuk 1-2 exchanger $\text{FT} > 0,75$. jika FT pada 1-2 Exchanger $< 0,75$ maka gunakan 2-4 Exchanger.
 - b. Untuk 2-4 exchanger $\text{FT} > 0,9$ untuk removable longitudinal baffle. $\text{FT} 0,85$ untuk welded longitudinal baffle.
 - c. FT dihitung karena di dalam tube terjadi perubahan arah aliran. Sebagai contoh untuk 1-2 exchanger, lewatan merupakan gabungan antara aliran searah dan lawan arah. Dengan demikian dalam 1-2 exchanger tersebut jika dihitung LMTD untuk counter current maka harus dihitung faktor koreksi FT nya.
3. Assumsikan UD sementara dari Tabel 8 Kern, 1965. Lalu hitung area heat transfer A dengan persamaan :

$$A = \frac{Q}{U_D \Delta t}$$

$A > 200 \text{ ft}^2$ gunakan shell & tube

$A < 100 \text{ ft}^2$ gunakan double pipe

Tentukan klasifikasi tube dari Tabel 10 Kern, 1965

$L = 6, 8, 12, 16, 20 \text{ ft}$ (pelatihan pegawai PT. PUSRI) BWG, OD, a"

4. Tentukan jumlah tube

$$Nt = \frac{A}{a \cdot L}$$

5. Koreksi UD

6. Temperatur kalorik

a. Temperatur rata-rata fluida yang terlibat dalam pertukaran panas

b. Dihitung untuk fluida dengan viskositas > 1 Cp.

$$T_c = T_2 + F_c(T_1 - T_2)$$

$$t_c = t_1 + F_c(t_2 - t_1)$$

1. menghitung flow area luas penampang yang tegak lurus arah aliran.

a. shell :

$$C' = PT - OD$$

B = maksimum = IDshell (pers. 11.3 Kern, 1965, hal 226) Minimum =

IDshell/5 (pers. 11.4 Kern, 1965, hal 226)

$$a_s = \frac{ID \times C' \times B}{144 \times P_T}$$

b. tube :

$$a_t = \frac{Nt \times a_{it}}{11 \times n}$$

2. menghitung mass velocity (G)

shell :

$$G_s = \frac{W}{a_s}$$

tube :

$$G_t = \frac{W}{a_t}$$

3. menghitung bilangan reynold

shell :

De = in (fig. 28, Kern)

$$\text{Res} = \frac{D_e \times G_s}{\mu}$$

tube :

D = in (Tabel 10, Kern)

$$\text{Ret} = \frac{D \times G_t}{\mu}$$

menentukan heat transfer factor, JH

shell :

Nilai JH untuk shell didapat dari figure 28 Kern

tube :

Nilai JH untuk tube didapat dari figure 24 kern

11. menentukan termal function

$$\left(\frac{C \cdot \mu}{k}\right)^{\frac{1}{3}}$$

12. menentukan hi & ho

film koefisien hi & ho adalah suatu ukuran aliran panas per unit permukaan dan unit perbedaan temperatur yang mengindikasikan laju perpindahan panas.

shell :

$$h_o / \phi_s = J_H \times \frac{k}{D_e} \times \left(\frac{C \cdot \mu}{k}\right)^{\frac{1}{3}}$$

tube :

$$h_o / \phi_t = J_H \times \frac{k}{D_e} \times \left(\frac{C \cdot \mu}{k}\right)^{\frac{1}{3}}$$

13. menentukan h_{io}

$$h_{io} / \phi_t = h_i / \phi_t \times \frac{ID}{OD}$$

14. temperatur dinding t_w

$$t_w = t_c + \frac{\frac{h_o}{\phi_s}}{\frac{h_{io}}{\phi_t} + \frac{h_o}{\phi_s}} \times (T_c - t_w)$$

15. koefisien h_i dan h_{io} terkoreksi pada temperatur dinding t_w

Shell :

$$\phi_s = \left(\frac{\mu}{\mu_w}\right)^{0,14}$$

$$h_o = \left(\frac{h_o}{\phi_s}\right) \times \phi_s$$

Tube :

$$\phi_t = \left(\frac{\mu}{\mu_w}\right)^{0,14}$$

$$h_i = \left(\frac{h_i}{\phi_t}\right) \times \phi_t$$

$$h_{io} = \left(\frac{h_{io}}{\phi_t}\right) \times \phi_t$$

16. U_c (koefisien perpindahan panas menyeluruh saat bersih)

$$U_c = \frac{h_{io} \times h_o}{h_{io} + h_o}$$

17. R_d

$$R_d = \frac{U_t - U_D}{U_t \times U_D}$$

18. ΔP

shell :

$$f = \dots\dots \text{(Fig. 29 Kern, 1965) } N+1 = 12.L/B$$

$$\Delta P_s = \frac{f \times G_s^2 \times D_s \times (N+1)}{5.22 \cdot 10^{10} \times D \times s \times \phi_t}$$

Tube :

f =

$$\Delta P_t = \frac{f \times G t^2 \times L \times n}{5.22 \cdot 10^{10} \times D \times s \times \Phi t}$$

$$\Delta P_r = \left[\frac{4n \times v^2}{s \times 2g} \right]$$

$$\Delta P_{\text{tube}} = \Delta P_t + \Delta P_r$$

7.2 Perhitungan Perancangan Heat Exchanger

Shell side		Tube side		Temperatur :	
IDs	= 10 in	IDt	= 0,62 in	Th1 = 81 °C =	177,8 °F
B	= 7	ODt	= ¾	Th2 = 77 °C =	170,6 °F
Baffle space	= 6 in	BWG	= 16	Th1 = 4 °C =	7,2 °F
Passes	= 1	pitch	= triangular	Th2 = 25 °C =	77 °F
Pt	= 0,9375	passes	= 2	Tc2 = 33 °C =	91,4 °F
C	= 0,99 (fig. 2	C	= 0,98 (fig2	ΔTc = 8 °C =	14,4 °F
Kern)		Kern)			
de	= 0,045833333	Nt	= 12		
ft					

Shell

1) Heat Balance :

$$Q = AU \Delta T_{LMTD}$$

$$= 232988,87 \text{ Btu/jam}$$

$$A = 7080 \text{ cm}^2$$

$$0,708 \text{ m}^2$$

$$7,618 \text{ ft}^2$$

$$U = 340 \text{ btu/jam ft}^2 \text{ °F}$$

$$\Delta T_{LMTD} = (Th1 - Tc2) - (Th2 - Tc1) / (\ln(Th1 - Tc2) / (Th2 - Tc1))$$

$$= 89,952 \text{ °F}$$

$$Q_{\text{shell}} = W \times C(Th1 - Th2)$$

$$W_{\text{shell}} = Q / C(Th1 - Th2)$$

$$= 342630,69 / (0,99 \times 7,2 \text{ °F})$$

$$= 48068,28 \text{ lb/jam}$$

$$Q_{\text{tube}} = W \times C(Th1 - Th2)$$

$$\begin{aligned}
 W_{\text{tube}} &= Q/C(\text{Th1}-\text{Th2}) \\
 &= 232988,87 / (0,98 \times 14,4 \text{ } ^\circ\text{F}) \\
 &= 32686,43 \text{ lb/jam}
 \end{aligned}$$

Hot fluid		cold fluid	Diff
177.8	Higher Temp	77	100.8
170.6	Lower Temp	91.4	79.2
7.2	Differences	14.4	21.6

2) $\Delta t =$

$$\begin{aligned}
 L &= 1 \text{ m} \\
 &= 3,2808399 \text{ ft} \\
 &= 39,370079 \text{ in}
 \end{aligned}$$

$$\text{LMTD} = 89,952 \text{ } ^\circ\text{F}$$

$$\begin{aligned}
 R &= \frac{7,2}{14,4} \\
 &= 0,5
 \end{aligned}$$

$$\begin{aligned}
 S &= \frac{14,4}{177,8-91,4} \\
 &= 0,167
 \end{aligned}$$

$$F_t = 0,98 \text{ (Fig 18 Kern)}$$

$$\begin{aligned}
 \Delta t &= F_t \times \Delta \text{TLMTD} \\
 &= 0,98 \times 89,952 \text{ } ^\circ\text{F} \\
 &= 88,153 \text{ } ^\circ\text{F}
 \end{aligned}$$

Shell

3) Hot Fluid; shell side, water

4) $A_s = ID \times C'B / 144Pt$

dengan $C' = Pt - OD$

$$= 0,9375 - \frac{3}{4}$$

$$= 0,188 \text{ in}$$

$B = L/b$

$$= \frac{39,370079 \text{ in}}{6 \text{ in}}$$

$$= 7$$

$A_s = ID \times C'B / 144Pt$

$$= 10 \text{ in} \times 0,188 \times (7 / 144) \times 0,9375$$

$$= 0,091 \text{ ft}^2$$

5) $G_s = W/a_s$

$$= 32686,43 \text{ lb/jam} / 0,091 \text{ ft}^2$$

$$= 358661,651 \text{ lb/jam ft}^2$$

6) $At \text{ Ta} = (Th1 + Th2) / 2$

$$= (177,8 \text{ }^\circ\text{F} + 170,6 \text{ }^\circ\text{F}) / 2$$

$$= 174,2 \text{ }^\circ\text{F}$$

Tube

3) Cold Fluid; tube side, water

4) $a't = 0,302 \text{ in}^2$ (table 10 Kern)

$a_t = Nt \times a't / 144 \times n$

$$= 12 \times (0,302 \text{ in}^2 / 144) \times 2$$

$$= 0,0503 \text{ ft}^2$$

$$5) \text{ Gt} = w/at$$

$$= 16509,98 \text{ lb/jam} / 0,0503 \text{ ft}^2$$

$$= 328012,89 \text{ lb/jamft}^2$$

$$\text{vel, } v = Gt/3600_e$$

$$= 328012,89 \text{ lb/jam} /$$

$$(3600 \times 62,5)$$

$$= 1,458 \text{ ft/sec}$$

$$6) \text{ At } t_a = (Tc1+Tc2) / 2$$

$$= (77 \text{ }^\circ\text{F} + 91,4 \text{ }^\circ\text{F}) / 2$$

$$= 84,2 \text{ }^\circ\text{F}$$

$$\mu = ((0,95.2,42)+(0,8.2,42))/2$$

$$= 0,8712 \text{ lb/jamft}$$

$$= 2,118 \text{ lb/jamft (fig. 14)}$$

$$\mu = ((0,35.2,42)+(0,37.2,42))/2$$

$$= 0,8712 \text{ lb/jamft}$$

$$D_s = I D_s / 12$$

$$= 10 \text{ in} / 12$$

$$= 0,833 \text{ ft}$$

$$\text{Res} = (D_s \times G_s) / \mu$$

$$= (0,833 \text{ ft} \times 358661,651 \text{ lb/jam ft}^2) / 0,8712 \text{ lb/jam ft}$$

$$= 343072,439 \text{ (Turbulen)}$$

$$7) jH = 380 \text{ (fig 28 Kern)}$$

$$8) At Ta = 174,2 \text{ } ^\circ\text{F}$$

$$c = 1 \text{ Btu/lb } ^\circ\text{F}$$

$$k = 0.898 \text{ Btu/(jam)(ft}^2\text{)(}^\circ\text{F/ft) (Tabel 4 Kern)}$$

$$(c\mu/k)^{(1/3)} = (0,99 \times 0,8712/0,898)^{(1/3)}$$

$$= 0,98664$$

$$9) ho = jH \times k/de \times (c\mu/k)^{(1/3)}$$

$$= 380 \times 0,898 \text{ Btu/(jam)(ft}^2\text{)(}^\circ\text{F) / (0,045833333 ft) \times 0,98664}$$

$$= 90552,580 \text{ Btu/jam ft}^2\text{ } ^\circ\text{F}$$

$$7) D = IDt/12$$

$$= 0,62/12$$

$$= 0,052 \text{ ft}$$

$$8) Ret = D \times Gt/\mu$$

$$= 0,052 \text{ ft} \times 328012,89 \text{ lb/jamft}^2 / 2,118 \text{ lb/jamft}$$

$$= 8003,4629 \text{ (laminar)}$$

$$9) hi = 415 \text{ Btu/jam (ft}^2\text{) (}^\circ\text{F) (fig 25 kern)}$$

$$10) hio = hi \times ID/OD$$

$$= 415 \text{ Btu/jam (ft}^2\text{) (}^\circ\text{F) \times (0,62 in / } \frac{3}{4} \text{)}$$

$$= 343,067$$

$$13) \text{ Clean overall (Uc) = hio} \times \text{ho/hio} + \text{ho}$$

$$= (343,067 \times 90552,580) / (343,067 + 90552,580)$$

$$= 341,772 \text{ Btu/(jam)(ft}^2\text{)(}^\circ\text{F)}$$

$$\begin{aligned}
 14) R_d &= U_c - U_D / U_c \times U_D \\
 &= (341,772 - 340) / (341,772 \times 340) \\
 &= 0,00002 \text{ (hr) } (\text{ft}^2)(^\circ\text{F}) / \text{Btu}
 \end{aligned}$$

Summary	
90552,580	h outside 343,067
U _c	341,772
U _D	340
R _d Calculated	0.00002
R _d Required	0.001

Pressure Drop

Shell

$$1) R_{es} = 343072,4395$$

$$f = 0.001 \text{ ft/in}^2$$

$$2) \text{ No. of crosses, } N + 1 = 12L/B$$

$$= 12 \times 6,56167979$$

$$= 78,74$$

$$D_s = 10/12$$

$$= 0,833 \text{ ft}$$

$$3) \Delta P_s = (f \times G_s^2 \times D_s \times (N+1)) / (5,22 \times 10^{10} \times D_s \times \emptyset_s)$$

$$= ((0,001 \times (358661,651)^2 \times 0,833 \times 78,74)) / (5,22 \times 10^{10} \times 0,833 \times 1)$$

$$= 0,194 \text{ psi}$$

Tube

$$1) R_{et} = 8003,462882$$

$$= 0,00015 \text{ ft}^2 / \text{in}^2$$

$$\begin{aligned} 2) \quad \Delta P_t &= (f \times Gt^2 \times L \times n) / (5,22 \times 10^{10} \times D_s \times \dot{O}t) \\ &= ((0,00015 \times (328012,89)^2 \times 1 \times 2) / (5,22 \times 10^{10} \times 0,052 \times 1)) \\ &= 0,012 \text{ psi} \end{aligned}$$

$$3) \quad Gt = 328012,89 \text{ lb/jamft}^2$$

$$V^2/2G' = 0,03$$

$$\begin{aligned} 4) \quad \Delta P_r &= 4 \text{ n/s } (v^2/2G') \\ &= 4 \times (2/1) \times 0,03 \\ &= 0,24 \text{ psi} \end{aligned}$$

$$\begin{aligned} \Delta P_T &= \Delta P_t + \Delta P_r \\ &= 0,012 + 0,24 \\ &= 0,252 \text{ psi} \end{aligned}$$