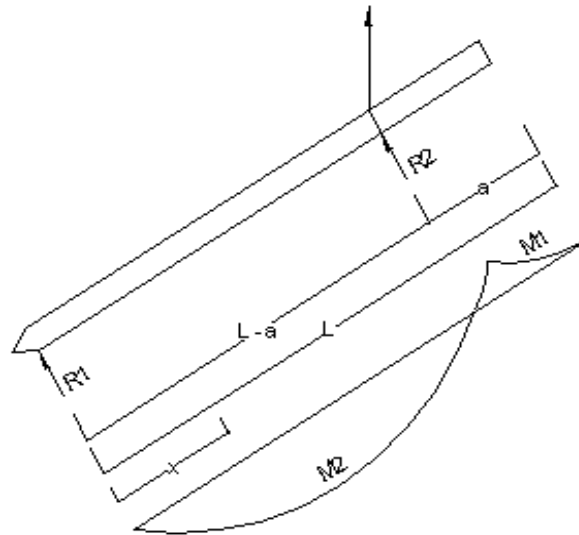


5.4 Tiang Pancang

5.4.1 Momen akibat pengangkatan satu titik



Gambar 5.79 Pengangkatan dengan 1 titik

$$M_1 = \frac{1}{2} \times q \times a^2$$

$$R_1 = \frac{1}{2}q(L-a) - \frac{1}{2} \times qa^2 \frac{1}{L-a} = \frac{q(L-a)}{2} - \frac{qa^2}{2(L-a)} = \frac{qL^2 - 2aq}{2(L-a)}$$

$$Mx = R_1 x - \frac{1}{2}qx^2$$

$$\text{Syarat Maksimum } \frac{dMx}{dx} = 0$$

$$R_1 - qx = 0$$

$$x = \frac{R_1}{q} = \frac{(L^2 - 2aL)}{2(L-a)}$$

$$M_{\max} = R_1 \frac{L^2 - 2aL}{2(L-a)} - \frac{1}{2}q \left(\frac{L^2 - 2aL}{2(L-a)} \right)^2$$

$$M_{\max} = \frac{1}{2}q \left(\frac{L^2 - 2aL}{2(L-a)} \right)^2$$

$$M_1 = M_2$$

$$\frac{1}{2}qa^2 = \frac{1}{2}q\left(\frac{L^2 - 2aL}{2(L-a)}\right)^2$$

$$a = \frac{L^2 - 2aL}{2(L-a)}$$

$$a^2 - 4aL + L^2 = 0 \rightarrow L = 25 \text{ m}$$

$$a^2 - 100a + 625 = 0$$

$$a_{1,2} = \frac{100 \pm \sqrt{(-100)^2 - 4 \cdot 1 \cdot 625}}{2 \cdot 1}$$

$$a_1 = 6,69 \text{ m (memenuhi)}$$

$$a_2 = 93,3 \text{ m (tidak memenuhi)}$$

$$a = 0,297 \times L = 0,297 \times 25 = 7,245 \text{ m}$$

$$WD = \frac{1}{4} \times \pi \times d^2 \times \gamma_{beton} = \frac{1}{4} \times 3,14 \times 0,4^2 \times 2400 = 301,44 \text{ kg/m}$$

$$WL = 40 \text{ kg/m}$$

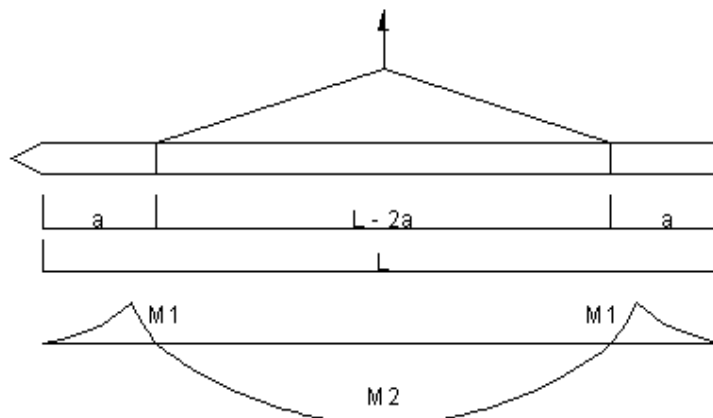
$$q_{tot} = 1,2 WD + 1,6 WL = (1,2 \times 301,44) + (1,6 \times 40) = 425,728 \text{ kg}$$

$$M_1 = M_2 = M_{max}$$

$$= \frac{1}{2} \times q \times a^2 = \frac{1}{2} \times 301,44 \times 6,69^2$$

$$= 9526,96 \text{ kgm} = 9,527 \cdot 10^4 \text{ Nm}$$

5.4.2 Momen akibat pengangkatan dengan dua titik



Gambar 5.80 Pengangkatan dengan dua titik

$$M_1 = \frac{1}{2} \times q \times a^2$$

$$M_2 = \frac{1}{8} q (L - 2a)^2 - \frac{1}{2} qa^2$$

$$M_1 = M_2$$

$$\frac{1}{2} qa^2 = \frac{1}{8} q (L - 2a)^2 - \frac{1}{2} qa^2$$

$$a = 0,209 \times L$$

$$a = 0,209 \times 25 = 5,125$$

$$M_1 = M_2 = M_{\max} = \frac{1}{2} \times q \times a^2 = \frac{1}{2} \times 425,728 \times 5,125 = 5811,32 \text{ kgm} = 5,811.10^4 \text{ Nm}$$

Pada perhitungan tulangan didasarkan pada momen pengangkatan dengan 1 titik karena momen yang didapat dari 2 titik pengangkatan lebih kecil daripada momen pengangkatan akibat 1 titik. Pada perhitungan tulangan didasarkan pada momen pengangkatan dengan 1 titik.

$$M_{\text{design}} = 1,5 \times M_{\text{Max}} = 1,5 \times 9526,96 = 14290,44 \text{ kgm} = 1,43 \cdot 10^5 \text{ Nm}$$

Direncanakan ;

$$f'c = 45 \text{ Mpa}$$

$$fy = 240 \text{ Mpa}$$

$$\text{Diameter pancang (h)} = 400 \text{ mm}$$

$$\text{Tebal selimut (p)} = 50 \text{ mm}$$

$$\text{Diameter efektif (d)} = 400 - 50 - 0,5 \times 14 - 8 = 335 \text{ mm}$$

Tulangan

Untuk K - 450 ($f'c = 37,5 \text{ Mpa}$) dan BJTP 24 ($fy = 240 \text{ Mpa}$)

$$\rho_{\min} = \frac{1,4}{fy} = \frac{1,4}{240} = 0,00583$$

$$\rho_{\max} = 0,75 \times \beta_1 \times \left[\frac{0,85 \times f'c}{fy} \times \frac{600}{600 + fy} \right] \text{ dimana } \beta_1 = 0,85$$

$$\rho_{\max} = 0,75 \times 0,85 \times \left[\frac{0,85 \times 45}{240} \times \frac{600}{600 + 240} \right] = 0,0726$$

Tiang pancang berbentuk bulat, sehingga perhitungannya dikonfirmasi ke dalam bentuk bujur sangkar dengan $b = 0,88D = 0,88 \cdot 0,4 = 0,352 \text{ m}$

$$\frac{M_u}{bxd^2} = \rho \cdot \phi \cdot f_y \left[1 - 0,588\rho x \frac{f_y}{f_c'} \right]$$

$$\frac{M_u}{bxd^2} = \rho x 0,8 x 240 \left[1 - 0,588\rho x \frac{240}{45} \right]$$

$$\frac{1,43 \cdot 10^8}{352 \times 352^2} = 192\rho - 602,112\rho^2$$

$$602,112\rho^2 - 192\rho + 3,278 = 0$$

$$\rho = 0,0181$$

$$\left. \begin{array}{l} \rho_{\min} = 0,00583 \\ \rho_{\max} = 0,0726 \end{array} \right\} \rho_{\min} < \rho < \rho_{\max}$$

- **Tulangan utama**

$$A_{st} = \rho \cdot b \cdot d \cdot 10^6 = 0,0181 \times 352 \times 352 = 2242,66 \text{ mm}^2$$

Dipakai tulangan 10D19 ($A_{st} = 2835 \text{ mm}^2$)

- **Kontrol terhadap Tumbukan Hammer**

Jenis Hammer yang akan digunakan adalah tipe K -35 dengan berat hammer 3,5 ton.

$$\text{Daya dukung satu tiang pancang} = 7,17 \cdot 10^5 \text{ N}$$

Rumus Tumbukan :

$$R = \frac{W_r \cdot H}{\Phi (s + c)}$$

Dimana :

R = Kemampuan dukung tiang akibat tumbukan

W_r = Berat Hammer = 3,5 T = 35 kN

H = Tinggi jatuh Hammer = 1,5 m

S = final settlement rata-rata = 2,5 cm

C = Koefisien untuk double acting system Hammer = 0,1

Maka :

$$R = \frac{Wr \cdot H}{\Phi (s + c)}$$

$$R = \frac{35 \times 1,5}{0,2(0,025 + 0,1)} = 210 \text{ kN}$$

$$2,1 \cdot 10^5 \text{ N} < P_{\text{tiang}} = 7,17 \cdot 10^5 \text{ N} \dots\dots (\text{Aman})$$

- **Penulangan Akibat Tumbukan**

Dipakai rumus New Engineering Formula :

$$P_U = \frac{eh \cdot Wr \cdot H}{s + c}$$

Dimana :

P_U = Daya Dukung Tiang tunggal

eh = efisiensi Hammer = 0,8

H = Tinggi jatuh Hammer = 1,5 m

S = final settlement rata-rata = 2,5 cm

Maka :

$$P_U = \frac{eh \cdot Wr \cdot H}{s + c} = \frac{0,8 \times 35 \times 1,5}{0,025 + 0,1} = 336 \text{ kN}$$

Menurut SKSNI – T – 03 – 1991 Pasal 3.3.3.5

Kuat Tekan Struktur :

$$P_{\text{mak}} = 0,8 (0,85 f^{\prime}c (A_g - A_{gt}) + f_y \cdot A_{st})$$

$$336000 = 0,8 (0,85 \cdot 45 (3,14 \cdot 200^2 - A_{gt}) + 45 \cdot A_{st})$$

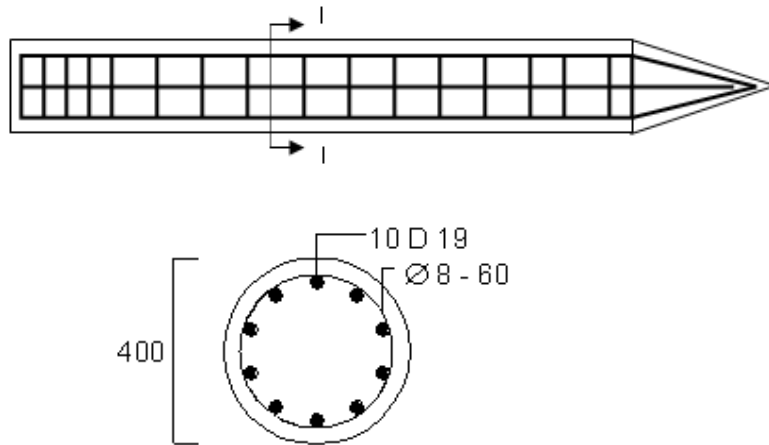
$$A_{st} = - 830746$$

Karena hasil negatif, maka digunakan :

$$A_{st} = 1 \% \times 3,14 \times 200^2$$

$$A_{st} = 1256 \text{ mm}^2$$

Dipakai tulangan 10 D 19 ($A_{st} = 2835 \text{ mm}^2$)



POT 1 -1

▪ **Kontrol geser**

$$\tau_b = \frac{D_{max}}{0,9 \times 1/4 \pi \cdot d^2} = \frac{(-q \cdot a) + (1/2 \cdot q \cdot L)}{0,9 \times 1/4 \pi \cdot d^2}$$

$$\tau_b = \frac{(425,728 \times 6,69) + (1/2 \times 425,728 \times 25)}{0,9 \times 1/4 \times 3,14 \times 0,4^2}$$

$$= 72272,826 \text{ kg/m}^2 = 7,227 \text{ kg/cm}^2$$

$$\tau_b = 0,53\sigma \rightarrow \sigma = 1600 \text{ kg/cm}^2$$

$$= 0,53 \cdot 1600 = 848 \text{ kg/cm}^2$$

karena $\tau_b < \tau_b$ ijin maka tidak perlu tulangan geser, maka digunakan tulangan sengkang praktis yaitu tulangan spiral.

5.4.3 Perhitungan Tulangan Spiral

Rasio penulangan spiral :

$$\rho_s = 0,45 \left(\frac{A_g}{A_c} - 1 \right) \times \frac{f_c}{f_y}$$

$$\rho_s = 0,45 \left(\frac{1/4 \cdot \pi \cdot 40^2}{1/4 \cdot \pi \cdot 30^2} - 1 \right) \times \frac{450}{2400} = 0,0656$$

$$A_s = 2 \times \rho_s \times A_c$$

$$= 2 \times 0,0656 \times \frac{1}{4} \cdot \pi \cdot 40^2 = 164,85 \text{ cm}^2$$

$$s = 2 \times \pi \times D_c \times A_{sp}/s$$

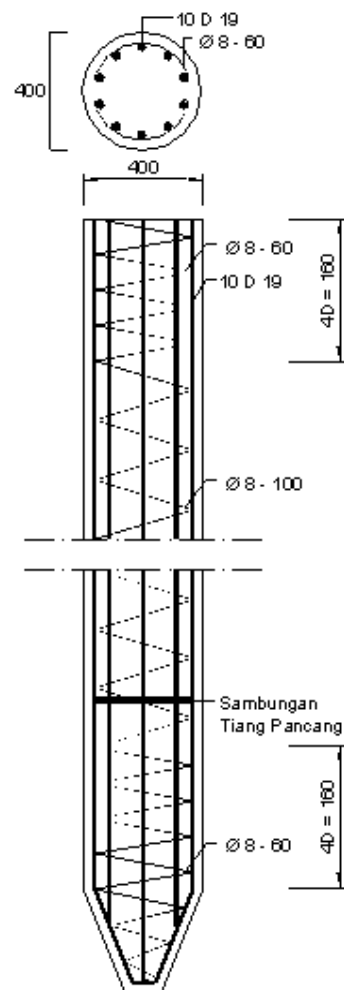
$$= 2 \times 3,14 \times 40 \times \frac{1}{4} \cdot 3,14 \cdot 0,8^2 / 164,85$$

$$= 0,76 \text{ cm} \rightarrow 6 \text{ cm}$$

sehingga dipakai tulangan Ø8-60

sengkang pada ujung tiang dipakai Ø8-60

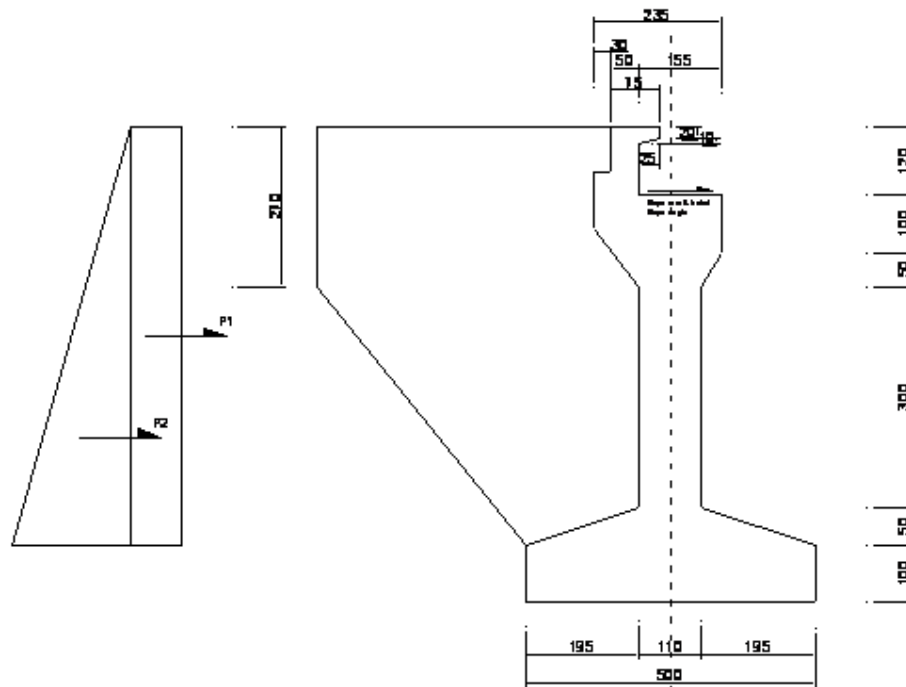
sengkang pada tengah tiang dipakai Ø8-100



Gambar 5.81 Penulangan Tiang Pancang

5.5 Perencanaan Wing Wall

Perencanaan wing wall bertujuan untuk menahan stabilisasi tanah urugan dibelakang abutmen.



Gambar 5.82 Pembebanan untuk Wing Wall

Tanah merupakan tanah urugan, diambil tanah dengan data sebagai berikut :

$$\gamma_t = 1,75 \text{ t/m}^3.$$

$$\phi = 25^0.$$

$$C = 0,12 \text{ kg/cm}^2.$$

$$K_a = \text{tg}^2 \left(45 - \frac{\phi}{2} \right) = \text{tg}^2 \left(45 - \frac{25}{2} \right) = 0,41$$

Tegangan – tegangan yang terjadi :

$$\sigma_1 = (q * K_a)$$

$$= (1,050 * 0,41) = 0,431 \text{ t/m}^2.$$

$$\sigma_2 = (\gamma * K_a * h)$$

$$= (1,75 * 0,41 * 6,20) = 4,448 \text{ t/m}^2$$

Tekanan tanah aktif :

$$P1 = 0,431 * 6,20 * 5 = 13,361 \text{ ton}$$

$$P2 = 4,090 * 6,20 * 5 = 137,888 \text{ ton}$$

Momen yang terjadi :

$$MP1 = 13,361 * 3,10 = 41,419 \text{ ton.m}$$

$$MP2 = 137,888 * 2,067 = 285,014 \text{ ton.m}$$

$$M_{total} = 41,419 + 285,014 = 326,433 \text{ ton.m}$$

Penulangan Wing Wall :

Tebal plat 250 mm

d diambil 210 mm

$$\frac{Mu}{bd^2} = \frac{32643300}{100 * 21^2} = 740,210 \text{ kg / cm}^2$$

$$\rho = 0,0023$$

syarat $\rho \text{ min} \leq \rho \leq \rho \text{ max}$

$$\rho \text{ min} = 0,0035$$

$$\rho \text{ max} = 0,028$$

Maka, digunakan $\rho \text{ min} = 0,0035$

$$\begin{aligned} A_s &= \rho * b * d \\ &= 0,0035 * 1000 * 210 = 735 \text{ mm}^2. \end{aligned}$$

Digunakan tulangan D16 – 200 ($A_s = 1005 \text{ mm}^2$)

Checking :

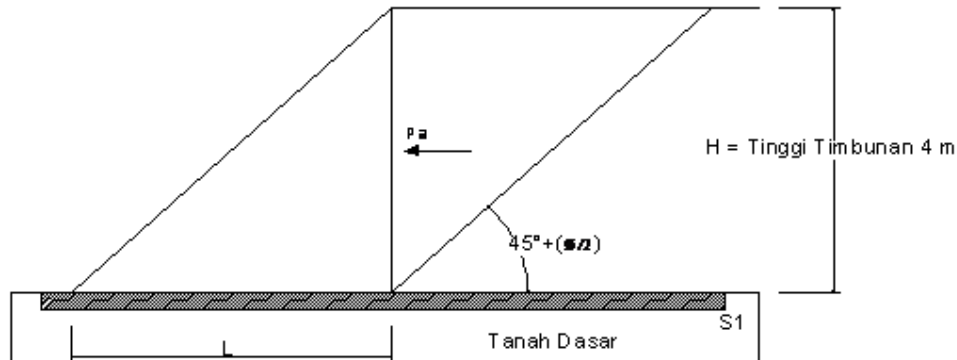
$$\begin{aligned} \rho &= A_s \text{ terpasang} / (b*d) \\ &= 1005 / (1000 * 210) \\ &= 0,00478 < \rho \text{ max} \quad (\text{Ok}) \end{aligned}$$

Tulangan Pembagi

$$\begin{aligned} &= 0,0025 * b * d \\ &= 0,0025 * 1000 * 210 = 525 \text{ mm}^2. \end{aligned}$$

digunakan tulangan D12 – 200 ($A_s = 566 \text{ mm}^2$)

5.6 Stabilitas Timbunan Oprit



$$\gamma_t = 1,75 \text{ t/m}^3.$$

$$\phi = 25^\circ.$$

$$C = 0,12 \text{ kg/cm}^2 = 1,2 \text{ t/m}^2$$

$$\sigma = 0,68 \text{ kg/m}^2$$

$$K_a = \text{tg}^2 \left(45 - \frac{\phi}{2} \right)$$

$$= \text{tg}^2 \left(45 - \frac{25^\circ}{2} \right) = 0,41$$

tegangan tanah yang terjadi

$$P_a = \frac{1}{2} (\gamma * K_a * H^2)$$

$$= \frac{1}{2} (1,75 * 0,41 * 4^2) = 5,74 \text{ t/m}^2$$

Besarnya gaya internal lapisan tanah :

$$S_1 = H * C_u * \tan \phi$$

$$= 4 * 1,2 * \tan 25^\circ = 2,238 \text{ t/m}$$

Untuk stabilitas timbunan terhadap keruntuhan / kelongsoran permukaan, maka ; $S_1 > P_a$, dengan catatan mengambil faktor keamanan sebesar 3 , sehingga diperoleh :

$$S_{1 \text{ Min}} > \frac{P_a}{3} = \frac{5,74}{3} = 1,913 \text{ t/m}$$

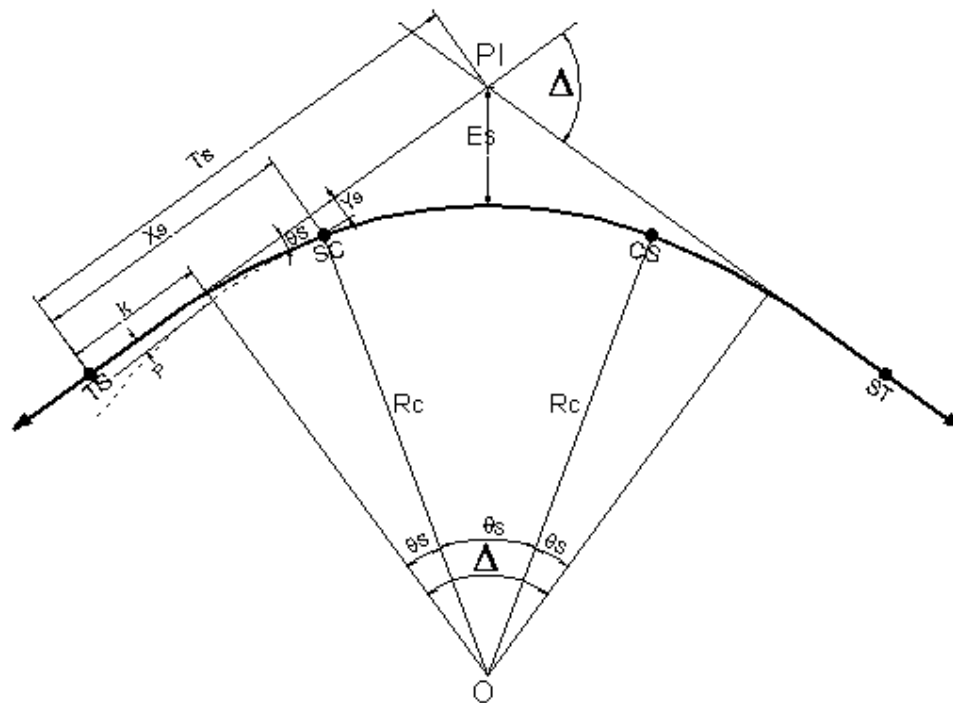
maka ; $S_{1 \text{ Min}} = 2,238 \text{ t/m} > 1,913 \text{ t/m}$ ok

5.7 PERHITUNGAN JALAN PENDEKAT (*Oprit*)

5.7.1 PERENCANAAN GEOMETRIK JALAN

▪ ALINYEMEN HORIZONTAL

Dalam perencanaan jembatan Air Tiris ini digunakan tikungan Spiral – Circle – Spiral. Seperti tergambar sebagai berikut :



Gambar 5.83 Lengkung S-C-S

Keterangan :

PI = Point of Intersection, titik perpotongan garis tangen utama.

TS = Tangent Spiral, titik awal spiral (dari Tangent ke Spiral).

SC = Spiral Circle, titik perubahan dari Spiral ke Circle.

CS = Circle Spiral, titik perubahan dari Circle ke Spiral.

ST = Spiral Tangent, titik perubahan dari Spiral ke Tangent.

X_s = Absis titik SC pada garis tangen, jarak dari titik TS ke SC
(jarak lurus lengkung peralihan).

Y_s = Ordinat titik SC pada garis tegak lurus garis tangen, jarak tegak lurus

ke titik SC pada lengkung.

- L_s = Panjang busur lingkaran (panjang dari titik SC ke CS).
 T_s = Panjang tangen dari titik PI ke titik TS atau ke titik ST.
 E_s = Jarak dari PI ke busur lingkaran.
 Δ = Sudut pertemuan antara tangen utama.
 θ_s = Sudut lengkung spiral.
 R_c = Jari-jari lingkaran
 p = Pergeseran tangen terhadap spiral
 k = Absis dari p pada garis tangen spiral

Data dan Ketentuan :

- $V_R = 60 - 80$ km/jam , diambil $V_R = 70$ km/jam
- $R_{MIN} = \frac{(V_R)^2}{127 * (e_{MAK} - f_{MAK})}$
- $e_{mak} = 10\%$; maka $f_{mak} = 0,24$
- maka ; $R_{MIN} = \frac{(70)^2}{127 * (0,10 - 0,24)} = 11,5$ m , diambil $R = 12$ m

Menentukan Nilai L_s :

- a) Berdasarkan Waktu Tempuh Maksimum (3 detik)

$$L_s = \frac{V_R}{3,6} * T = \frac{70}{3,6} * 3 = 58,34 \text{ m}$$

- b) Berdasarkan Antisipasi Gaya Sentrifugal

$$L_s = 0,022 \frac{(V_R)^3}{R_c * C} - 2,727 \frac{V_R * e}{C}$$

$$L_s = 0,022 \frac{(70)^3}{150 * 1} - 2,727 \frac{70 * 0,1}{1} = 30,95 \text{ m}$$

- c) Berdasarkan Tingkat Pencapaian Perubahan Kelandaian

$$L_s = \frac{(e_m - e_n)}{3,6 * \Gamma e} * V_R = \frac{(0,10 - 0,02)}{3,6 * 0,035} * 70 = 44,45 \text{ m}$$

Besar nilai L_s diambil nilai terbesar yakni $L_s = 58,34$ m \approx 60,0 m

• **PI-1**

1) Menghitung Komponen Tikungan

$$R = 12 \text{ m} \quad ; \quad \Delta = 3,27^{\circ} \quad ; \quad L_s = 60,0 \text{ m}$$

$$X_s = L_s \left(1 - \frac{(L_s)^2}{40 * (R_c)^2} \right) = 60 * \left(1 - \frac{(60)^2}{40 * (12)^2} \right) = 22,5 \text{ m}$$

$$Y_s = \frac{(L_s)^2}{6 * (R_c)} = \frac{(60)^2}{6 * (12)} = 50 \text{ m}$$

$$\theta_s = \frac{90 * L_s}{\pi * R_c} = \frac{90 * 60}{\pi * 12} = 11,465^{\circ}$$

$$P = \frac{(L_s)^2}{6 * (R_c)} - R_c (1 - \cos \theta_s) = \frac{(60)^2}{6 * (12)} - 12 * (1 - \cos 11,465^{\circ}) = 1,010 \text{ m}$$

$$K = L_s - \frac{(L_s)^3}{40 * (R_c)^2} - R_c \sin \theta_s = 60 - \frac{(60)^3}{40 * (12)^2} - 12 \sin 11,465^{\circ} = 19,945 \text{ m}$$

$$T_s = (R_c + P) \tan \frac{1}{2} \nabla + K$$

$$= (12 + 1,010) \tan \frac{1}{2} 3,27^{\circ} + 19,945 = 12,088 \text{ m}$$

$$E_s = (R_c + P) \sec \frac{1}{2} \nabla - R_c$$

$$= (12 + 1,010) \sec \frac{1}{2} 3,27^{\circ} - 12 = 5,033 \text{ m}$$

$$L_c = \frac{(\nabla - 2\theta_s) * \pi * R_c}{180} = \frac{(3,27^{\circ} - 2 * 11,465^{\circ}) * \pi * 12}{180} = 18,397 \text{ m}$$

2) Mencari Posisi titik-titik Tikungan

$$\text{STA A} = 0+360$$

$$\text{STA PI-1} = (0+360) + 12 = 0+372 \text{ m}$$

$$\text{STA TS} = (0+372) - T_s = (0+372) - 12,088 = 0+356,912 \text{ m}$$

$$\text{STA SC} = \text{STA TS} + L_s = (0+356,912) + 60,0 = 0+419,912 \text{ m}$$

$$\text{STA CS} = \text{STA SC} + L_c = (0+419,912) + 18,397 = 0+438,309 \text{ m}$$

$$\text{STA ST} = \text{STA CS} + L_s = (0+438,309) + 60,0 = 0+498,309 \text{ m}$$

$$\text{STA B} = \text{STA ST} - T_s + 12$$

$$= (0+480) - 12,088 + 12 = 0+455,912 \text{ m}$$

- **PI-2**

1) Menghitung Komponen Tikungan

$$R = 12 \text{ m} \quad ; \quad \Delta = 3,27^{\circ} \quad ; \quad L_s = 60,0 \text{ m}$$

$$X_s = L_s \left(1 - \frac{(L_s)^2}{40 * (R_c)^2} \right) = 60 * \left(1 - \frac{(60)^2}{40 * (150)^2} \right) = 59,76 \text{ m}$$

$$Y_s = \frac{(L_s)^2}{6 * (R_c)} = \frac{(60)^2}{6 * (150)} = 4,00 \text{ m}$$

$$\theta_s = \frac{90 * L_s}{\pi * R_c} = \frac{90 * 60}{\pi * 150} = 11,465^{\circ}$$

$$P = \frac{(L_s)^2}{6 * (R_c)} - R_c (1 - \cos \theta_s) = \frac{(60)^2}{6 * (150)} - 150 * (1 - \cos 11,465^{\circ}) = 1,010 \text{ m}$$

$$K = L_s - \frac{(L_s)^3}{40 * (R_c)^2} - R_c \sin \theta_s = 60 - \frac{(60)^3}{40 * (150)^2} - 150 \sin 11,465^{\circ} = 29,945 \text{ m}$$

$$T_s = (R_c + P) \tan \frac{1}{2} \nabla + K$$

$$= (150 + 1,010) \tan \frac{1}{2} 8^{\circ} + 29,945 = 40,505 \text{ m}$$

$$E_s = (R_c + P) \sec \frac{1}{2} \nabla - R_c$$

$$= (150 + 1,010) \sec \frac{1}{2} 8^{\circ} - 150 = 0,64 \text{ m}$$

$$L_c = \frac{(\nabla - 2\theta_s)}{180} * \pi * R_c = \frac{(8^{\circ} - 2 * 11,465^{\circ})}{180} * \pi * 150 = 39,067 \text{ m}$$

2) Mencari Posisi titik-titik Tikungan

$$\text{STA A} = 0+275$$

$$\text{STA PI-2} = (0+275) + 50 = 0+325 \text{ m}$$

$$\text{STA TS} = (0+325) - T_s = (0+325) - 40,505 = 0+284,495 \text{ m}$$

$$\text{STA SC} = \text{STA TS} + L_s = (0+284,495) + 60,0 = 0+344,495 \text{ m}$$

$$\text{STA CS} = \text{STA SC} + L_c = (0+344,495) + 39,067 = 0+383,562 \text{ m}$$

$$\text{STA ST} = \text{STA CS} + L_s = (0+383,562) + 60,0 = 0+443,562 \text{ m}$$

$$\text{STA B} = \text{STA ST} - T_s + 50$$

$$= (0+443,562) - 40,505 + 50 = 0+453,057 \text{ m}$$

- **PI-3**

1) Menghitung Komponen Tikungan

$$R = 12 \text{ m} \quad ; \quad \Delta = 3,27^{\circ} \quad ; \quad L_s = 60,0 \text{ m}$$

$$X_s = L_s \left(1 - \frac{(L_s)^2}{40 * (R_c)^2} \right) = 60 * \left(1 - \frac{(60)^2}{40 * (12)^2} \right) = 22,5 \text{ m}$$

$$Y_s = \frac{(L_s)^2}{6 * (R_c)} = \frac{(60)^2}{6 * (12)} = 50 \text{ m}$$

$$\theta_s = \frac{90 * L_s}{\pi * R_c} = \frac{90 * 60}{\pi * 12} = 11,465^{\circ}$$

$$P = \frac{(L_s)^2}{6 * (R_c)} - R_c (1 - \cos \theta_s) = \frac{(60)^2}{6 * (12)} - 12 * (1 - \cos 11,465^{\circ}) = 1,010 \text{ m}$$

$$K = L_s - \frac{(L_s)^3}{40 * (R_c)^2} - R_c \sin \theta_s = 60 - \frac{(60)^3}{40 * (12)^2} - 12 \sin 11,465^{\circ} = 19,945 \text{ m}$$

$$T_s = (R_c + P) \tan \frac{1}{2} \nabla + K$$

$$= (12 + 1,010) \tan \frac{1}{2} 3,27^{\circ} + 19,945 = 12,088 \text{ m}$$

$$E_s = (R_c + P) \sec \frac{1}{2} \nabla - R_c$$

$$= (12 + 1,010) \sec \frac{1}{2} 3,27^{\circ} - 12 = 5,033 \text{ m}$$

$$L_c = \frac{(\nabla - 2\theta_s)}{180} * \pi * R_c = \frac{(3,27^{\circ} - 2 * 11,465^{\circ})}{180} * \pi * 12 = 18,397 \text{ m}$$

3) Mencari Posisi titik-titik Tikungan

$$\text{STA A} = 0+480$$

$$\text{STA PI-2} = (0+480) + 12 = 0+492 \text{ m}$$

$$\text{STA TS} = (0+492) - T_s = (0+492) - 12,088 = 0+479,912 \text{ m}$$

$$\text{STA SC} = \text{STA TS} + L_s = (0+479,912) + 18,397 = 0+498,309 \text{ m}$$

$$\text{STA CS} = \text{STA SC} + L_c = (0+498,309) + 18,397 = 0+516,706 \text{ m}$$

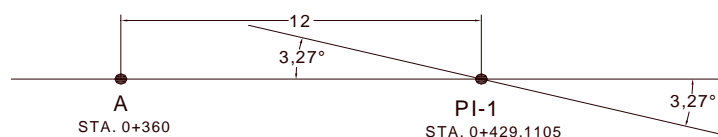
$$\text{STA ST} = \text{STA CS} + L_s = (0+516,706) + 60,0 = 0+576,706 \text{ m}$$

$$\text{STA B} = \text{STA ST} - T_s + 50$$

$$= (0+576,706) - 12,088 + 12 = 0+552,612 \text{ m}$$

➤ Gambar Sket Alinyemen Horizontal

RENCANA PI-1



- **ALINYEMEN VERTIKAL**

A) Perhitungan Alinyemen Vertikal pada section A (STA 0 +200)

Perhitungan Stasioning (lengkung vertikal cekung)

Direncanakan dengan $V_R = 70$ km/jam

Dari tabel didapat Data dan Ketentuan :

Kelandaian maksimum (i) = 3,27 % (datar)

Jarak Pandang Henti Minimum (Jh) = 100 m

Jarak Pandang Mendahului Minimum (Jd) = 450 m

Perencanaan Lengkung Vertikal

1) Menghitung kelandaian rancangan

$g_1 = 0$ % (awal) ; $g_2 = 3,27$ %

$A = g_1 + g_2 = 0 + 3,27 = 3,27$ %

2) Mencari Panjang L

Berdasarkan Jarak Pandang Henti (Jh)

$$Jh < L \Rightarrow L = \frac{A * Jh^2}{120 + (3,5 Jh)} = \frac{3,27 * 100^2}{120 + (3,5 * 100)} = 69,57 \text{ m} \dots \text{tdk memenuhi}$$

$$Jh > L \Rightarrow L = 2 Jh - \frac{120 + (3,5 Jh)}{A}$$

$$L = 2 * 100 - \frac{120 + (3,5 * 100)}{3,27} = 56,26 \text{ m} \dots \dots \dots \text{memenuhi}$$

Jadi panjang L :

Berdasarkan jarak pandang henti = 56,26 m

Dengan pertimbangan ekonomis maka : diambil $L_v = 50$ m

$$\text{Dari rumus ; } E_v = \frac{A * L}{800} = \frac{3,27 * 50}{800} = 0,2$$

STA. PV1

$L_v = 50$ m

STA. PLV = STA. PPV - ($\frac{1}{2}$ * L_v)

$$= 0+200 - (\frac{1}{2} * 50) = 0+175 \text{ m}$$

$$\text{Elevasi} = \text{Elv. PPV} - (\frac{1}{2} * g_1 * Lv)$$

$$= + 5,00 - (\frac{1}{2} * 0,0\% * 50) = + 5,00 \text{ m}$$

Titik $\frac{1}{2}$ lengkung

STA 0+200

$$\text{Elevasi} = \text{Elv. PPV} + E$$

$$= + 5,00 + 0,2 = + 5,2 \text{ m}$$

Titik akhir lengkung

$$\text{STA akhir} = \text{STA.PPV} + (\frac{1}{2} * Lv)$$

$$= 0+200 + (\frac{1}{2} * 50) = 0+225$$

$$\text{Elevasi} = \text{Elv. PPV} + \frac{1}{2} * g_2 * Lv$$

$$= + 5,00 + (\frac{1}{2} * 3,27\% * 50)$$

$$= + 5,8 \text{ m}$$

B) Perhitungan Alinyemen Vertikal pada section B (STA +320)

Perhitungan Stasioning (lengkung vertikal cembung)

Direncanakan dengan $V_R = 70 \text{ km/jam}$

Dari tabel didapat Data dan Ketentuan :

$$\text{Kelandain maksimum (i)} = 3,27 \%$$

$$\text{Jarak Pandang Henti Minimum (Jh)} = 100 \text{ m}$$

$$\text{Jarak Pandang Mendahului Minimum (Jd)} = 450 \text{ m}$$

Perencanaan Lengkung Vertikal

1) Mencari Panjang L

Berdasarkan Jarak Pandang Henti (Jh)

$$Jh < L \Rightarrow L = \frac{A * Jh^2}{399} = \frac{3,27 * 100^2}{399} = 81,95 \text{ m} \dots\dots\dots \text{tdk memenuhi}$$

$$Jh > L \Rightarrow L = 2 Jh - \frac{399}{A} = 2 * 100 - \frac{399}{3,27} = 77,9 \text{ m} \dots\dots\dots \text{memenuhi}$$

Berdasarkan Jarak Pandang Mendahului (Jd)

$$Jd < L \Rightarrow L = \frac{A * Jd^2}{840} = \frac{3,27 * 450^2}{840} = 788,30 \text{ m} \dots\dots\dots \text{memenuhi}$$

$$Jh > L \Rightarrow L = 2 Jh - \frac{840}{A} = 2 * 75 - \frac{840}{3,27} = 256,88 \text{ m} \dots\dots\dots \text{tdk memenuhi}$$

Jadi panjang L :

Berdasarkan jarak pandanag henti = 77,9 m

Berdasarkan jarak pandanag mendahului = 788,30 m

Dengan pertimbangan ekonomis maka : diambil L = 50 m

$$\text{Dari rumus ; } E_v = \frac{A * L}{800} = \frac{3,27 * 50}{800} = 0,204$$

STA. PV1

$L_v = 50 \text{ m}$

$$\begin{aligned} \text{STA. PLV} &= \text{STA. PPV} - (\frac{1}{2} * L_v) \\ &= 0+320 - (\frac{1}{2} * 50) = 0+295 \text{ m} \end{aligned}$$

$$\begin{aligned} \text{Elevasi} &= \text{Elv. PPV} - (\frac{1}{2} * g_1 * L_v) \\ &= + 9,00 - (\frac{1}{2} * 3,27\% * 50) = + 5,2 \text{ m} \end{aligned}$$

Titik $\frac{1}{2}$ lengkung

STA 0+325

$$\begin{aligned} \text{Elevasi} &= \text{Elv. PPV} - E \\ &= + 9,00 - 0,204 = + 8,79 \text{ m} \end{aligned}$$

Titik akhir lengkung

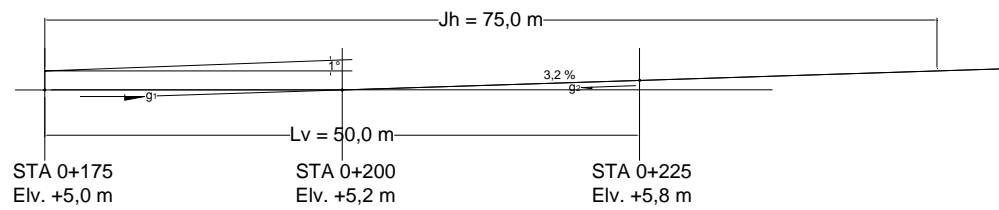
$$\begin{aligned} \text{STA akhir} &= \text{STA.PPV} + (\frac{1}{2} * L_v) \\ &= 0+320 + (\frac{1}{2} * 50) = 0+345 \end{aligned}$$

$$\begin{aligned} \text{Elevasi} &= \text{Elv. PPV} + \frac{1}{2} . g_2 . L_v \\ &= + 9,00 + (\frac{1}{2} * 3,27\% * 50) = + 9,081 \text{ m} \end{aligned}$$

➤ **Gambar Sket Alinyemen Vertikal**

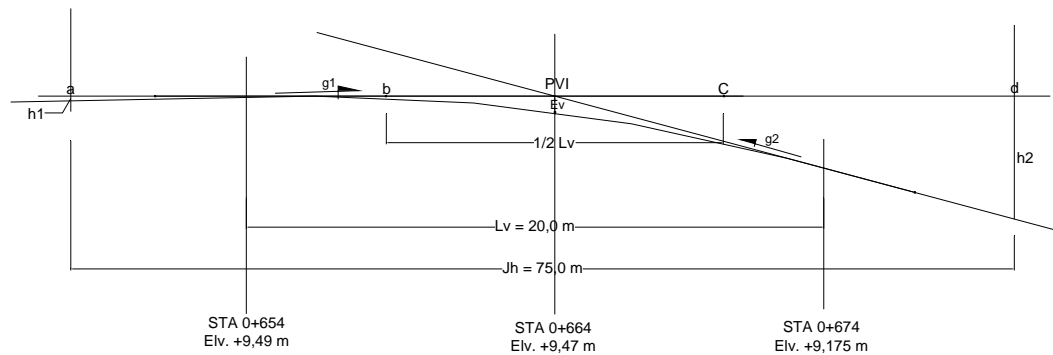
C) LENGKUNG VERTIKAL CEMBUNG

1. SECTION A (STA 0+200)



2. SECTION B (STA 0+320)

F) LENGKUNG VERTIKAL CEMBUNG



5.7.2 PERENCANAAN TEBAL PERKERASAN

- **Data LHR awal umur rencana (tahun 2005)**

MC	= 7771	kendaraan
LV	= 3813	kendaraan
MHV	= 5020	kendaraan
<u>LT</u>	<u>= 2171</u>	<u>kendaraan</u>
Total	= 18775	kendaraan

- **Faktor Regional**

$$\text{Prosentase kendaraan berat} = \frac{(2171 + 5020) \times 100\%}{18775} = 38,30\% > 30\%$$

Iklim II curah hujan > 900 mm/th

Kelandaian I < 6 %

Faktor Regional (FR) = 2,0

- **Koefisien Distribusi Kendaraan**

Harga C untuk : Kendaraan ringan C = 0,5

Kendaraan berat C = 0,5

- **Angka Ekuivalen (E)**

MC = 0,6

LV = 1

MHV = 2,4

LT = 5

- **LHR pada akhir umur rencana**

$$\text{LHR}_{2018} = \text{LHR}_{2008} (1 + i)^n$$

Dimana : i = 2,82 %

n = 10 tahun

$$\text{LHR}_{2018} = 21424,93 (1 + 0,0282)^{10} = 28294,06 \text{ SMP / hari}$$

- **Lintas Ekuivalen Permulaan (LEP)**

$$\boxed{LEP = \sum LHR \times C \times E}$$

$$LEP = 19710 \text{ SMP/Hari} \times 0,5 = 9855 \text{ SMP / hari}$$

Lintas Ekivalen Akhir (LEA)

$$\boxed{LEA = \sum LHR \times C \times E}$$

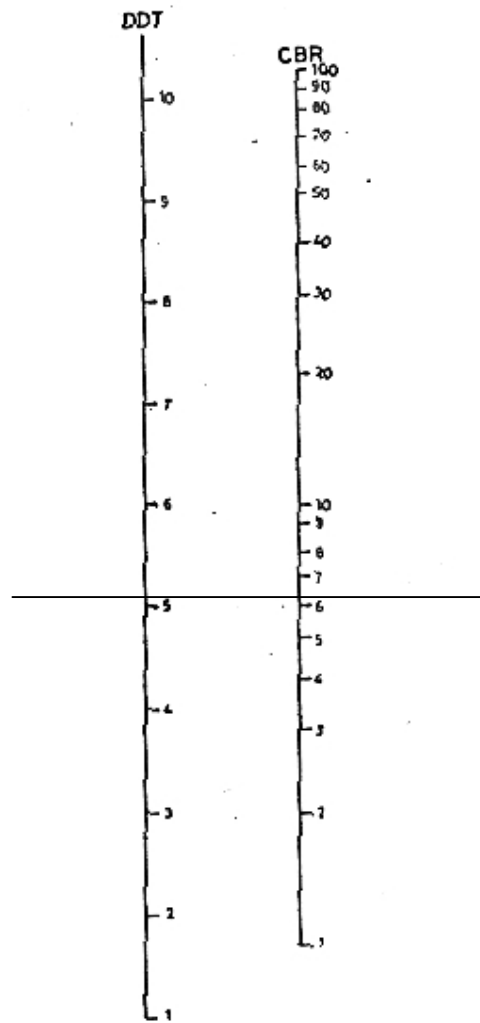
$$LEA = 28294,06 \text{ SMP / hari} \times 0,5 = 14147 \text{ SMP / hari}$$

▪ **Lintas Ekivalen Tengah (LET)**

$$LET = \frac{LEP + LEA}{2} = \frac{9855 + 14147}{2} = 12001$$

▪ **Lintas Ekivalen Rencana (LER)**

$$LER = LET + \frac{UR}{10}(0,5) = 12001 + \frac{10}{10}(0,5) = 6000,5$$



Gambar 1
KORELASI DDT DAN CBR

Catatan : Hubungan nilai CBR dengan garis mendatar
kesebelah kiri diperoleh nilai DDT.

Indeks Perkerasan (IP) = 2,0

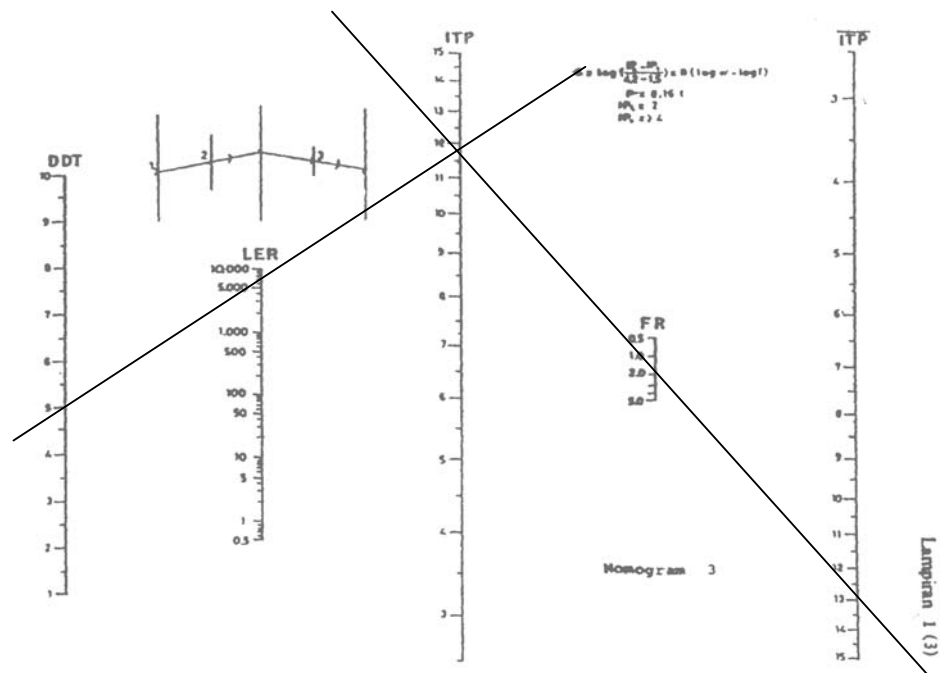
CBR tanah dasar = 6,0 %,

maka ; DDT = 5,0

FR = 2,0

LER = 6586

Dari nomogram 3 diperoleh : ITP = 13



Menentukan Tebal Lapisan

* Lapis Permukaan (a1) = Laston = 0,40

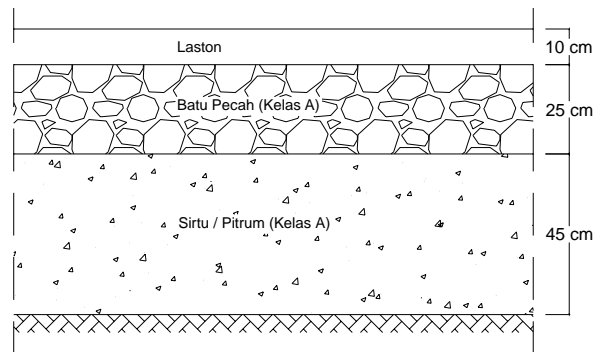
* Lapis Pondasi Atas (a2) = Batu Pecah Kelas A (CBR 100 %) = 0,14

* Lapis Pondasi Bawah (a3) = Sirtu (Kelas A) = 0,13

Maka ; $ITP = a1.D1 + a2.D2 + a3.D3$

$$13 = 0,40 * 10 + 0,14 * 25 + 0,13 * D3$$

$$D3 = \frac{5,5}{0,13} = 42,307 \text{ cm} \approx 45 \text{ cm}$$



Gambar 5.84 Susunan perkerasan