

Lampiran 1

Analisis ANOVA

- Untuk mengetahui perbedaan respon dosis radiasi dari masing-masing alat ukur digunakan uji analisis variansi model One Way ANOVA. Model ini digunakan karena pada penelitian ini menggunakan satu faktor perlakuan tunggal.

Tabel L.1 Tabel a taraf perlakuan faktor tunggal dengan n ulangan

Ulangan (n)	Perlakuan		
	Film Badge	Alat Ukur Standart	Dosimeter Elektronik
1	Y_{11}	Y_{21}	Y_{31}
2	Y_{12}	Y_{22}	Y_{32}
3	Y_{13}	Y_{23}	Y_{33}
Total	Y_1	Y_2	Y_3
Nilai Tengah	\bar{Y}_1	\bar{Y}_2	\bar{Y}_3

Model Linear yang digunakan adalah :

$$Y_{ij} = \mu + \tau_i + \varepsilon_{ij}; i = 1, 2, 3, \dots, a; j = 1, 2, 3, \dots, n$$

Dengan Y_{ij} adalah pengamatan ke-j pada perlakuan ke-i

μ adalah rata-rata umum

τ_i adalah pengaruh perlakuan ke-i

ε_{ij} adalah pengaruh galat/error percobaan ke-j yang mendapat perlakuan ke-i

Hipotesis yang akan diuji adalah :

$$H_0: \mu_1 = \mu_2 = \dots = \mu_a$$

Lampiran 1 (lanjutan)

$H_1 = \mu_i \neq \mu_j$ untuk paling tidak satu pasang (i, j)

Data pengamatan yang sudah diolah disajikan dalam tabel analisis variansi sebagai berikut :

Tabel L.2 Tabel analisis variansi

Sumber variasi	d . b	JK	KT	F _{hit}	F _{tabel}
Antara perlakuan	a - 1	JKP			
galat/error	a (n - 1)	JKG			
Total	an - 1	JKT			

Langkah-langkah uji F_{hit} untuk pengisian analisis variansi adalah sebagai berikut :

$$1. \quad JKT = \sum \sum Y_{ij}^2 - \frac{y_{..}^2}{an}$$

$$2. \quad JKP = \sum \frac{y_i^2}{n} - \frac{y_{..}^2}{an}$$

$$3. \quad JKG = JKT - JKP$$

$$4. \quad KT = \frac{JK}{a.b}$$

$$5. \quad F_{hit} = \frac{KT_{perlakuan}}{KT_{galat}}$$

Keputusan yang digunakan adalah H_0 ditolak jika $F_{hit} > F_{tabel}$. Apabila H_0 ditolak maka paling sedikit ada satu perlakuan yang memberikan pengaruh yang signifikan tetapi belum dapat disimpulkan perlakuan-perlakuan mana

Lampiran 1 (lanjutan)

yang memberikan pengaruh-pengaruh yang berbeda, untuk itu perlu uji lanjutan. Uji lanjutan yang digunakan adalah uji lanjut Duncan.

2. Uji Lanjut Duncan

Langkah-langkah uji lanjut Duncan adalah :

1. Nilai tengah perlakuan diurutkan dari yang terkecil sampai yang terbesar.

$$2. S_{\bar{Y}} = \sqrt{\frac{KTG}{n}}$$

3. Dihitung wilayah nyata terpendeknya

$$R_p = r_\alpha(p, f) \cdot S_{\bar{Y}}, \quad p = 2, 3, \dots, a$$

$r_\alpha(p, f)$ nilai tabel Duncan, dengan f : derajat bebas untuk galat.

4. a. Nilai tengah terbesar dikurangi dengan nilai tengah terkecil dan dibandingkan dengan R_a , selanjutnya nilai tengah terbesar dengan nilai tengah terkecil kedua dan dibandingkan dengan R_{a-1} , dan seterusnya. Jika nilai perbedaan tersebut lebih besar dengan R_p yang bersesuaian, maka diputuskan bahwa pasangan nilai tengah tersebut berbeda nyata.

b. Nilai tengah terbesar kedua dikurangkan dengan nilai tengah terkecil dan dibandingkan dengan R_{a-1} , dan seterusnya.

Semua data diolah dengan menggunakan program SPSS for Windows Release 6.0.

Lampiran 2

Analisis varian dan uji Duncan untuk paparan radiasi 10 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0015	.0008	68.6832	.0001
Within Groups	6	.0001	.0000		
Total	8	.0016			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if
 $MEAN(J) - MEAN(I) \geq .0024 * RANGE * \sqrt{1/N(I) + 1/N(J)}$
with the following value(s) for RANGE:

Step	2	3
RANGE	3.46	3.59

(*) Indicates significant differences which are shown in the lower triangle

	G	G	G
	r	r	r
	p	p	p
	1	2	3
Mean	X1		
.1833	Grp 1		
.2010	Grp 2	*	
.2153	Grp 3	*	*

Lampiran 3

Analisis varian dan uji Duncan untuk paparan radiasi 20 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- O N E W A Y -----
Variable X2 hasil
By Variable X1 film

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0065	.0033	288.2745	.0000
Within Groups	6	.0001	.0000		
Total	8	.0066			

----- O N E W A Y -----
Variable X2 hasil
By Variable X1 film

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if

$\text{MEAN}(J) - \text{MEAN}(I) \geq .0024 * \text{RANGE} * \text{SQRT}(1/N(I) + 1/N(J))$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

G	G	G	
r	r	r	
p	p	p	
	1	2	3
Mean X1			
.3633 Grp 1			
.3967 Grp 2	*		
.4293 Grp 3	*	*	

Lampiran 4

Analisis varian dan uji Duncan untuk paparan radiasi 30 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0157	.0079	693.1275	.0000
Within Groups	6	.0001	.0000		
Total	8	.0158			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if

$\text{MEAN}(J) - \text{MEAN}(I) \geq .0024 * \text{RANGE} * \text{SQRT}(1/N(I) + 1/N(J))$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

Mean X1

.5433	Grp 1
.5933	Grp 2 *
.6457	Grp 3 **

Lampiran 5

Analisis varian dan uji Duncan untuk paparan radiasi 40 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0276	.0138	411.3808	.0000
Within Groups	6	.0002	.0000		
Total	8	.0278			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if
 $MEAN(J)-MEAN(I) \geq .0041 * RANGE * \sqrt{1/N(I) + 1/N(J)}$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

Mean X1

.7200	Grp 1
.7877	Grp 2 *
.8557	Grp 3 **

Lampiran 6

Analisis varian dan uji Duncan untuk paparan radiasi 50 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0542	.0271	809.6047	.0000
Within Groups	6	.0002	.0000		
Total	8	.0544			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if
 $MEAN(J)-MEAN(I) \geq .0041 * RANGE * SQRT(1/N(I) + 1/N(J))$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

G	G	G	
r	r	r	
p	p	p	
1	2	3	
Mean	X1		
.8900	Grp 1		
.9837	Grp 2	*	
1.0800	Grp 3	**	

Lampiran 7

Analisis varian dan uji Duncan untuk paparan radiasi 75 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.0964	.0482	867.2000	.0000
Within Groups	6	.0003	.0001		
Total	8	.0967			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if
 $MEAN(J)-MEAN(I) \geq .0053 * RANGE * \sqrt{1/N(I) + 1/N(J)}$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

G	G	G
r	r	r
p	p	p
1	2	3
Mean X1		
1.3400 Grp 1		
1.4733 Grp 2 *		
1.5933 Grp 3 **		

Lampiran 8

Analisis varian dan uji Duncan untuk paparan radiasi 100 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.2017	.1008	1815.2000	.0000
Within Groups	6	.0003	.0001		
Total	8	.2020			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if

$\text{MEAN}(J)-\text{MEAN}(I) \geq .0053 * \text{RANGE} * \text{SQRT}(1/N(I) + 1/N(J))$
with the following value(s) for RANGE:

Step 2 3

RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

G	G	G	
r	r	r	
p	p	p	
			1 2 3
Mean	X1		
1.7600	Grp 1		
1.9467	Grp 2	*	
2.1267	Grp 3	*	*

Lampiran 9

Analisis varian dan uji Duncan untuk paparan radiasi 200 mR

31 May 87 SPSS for MS WINDOWS Release 6.0

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	2	.8289	.4144	35864.7212	.0000
Within Groups	6	.0001	.0000		
Total	8	.828			

----- ONE WAY -----

Variable X2 hasil
By Variable X1

Multiple Range Tests: Duncan test with significance level .05

The difference between two means is significant if
 $MEAN(J)-MEAN(I) \geq .0024 * RANGE * SQRT(1/N(I) + 1/N(J))$
with the following value(s) for RANGE:

Step 2 3
RANGE 3.46 3.59

(*) Indicates significant differences which are shown in the lower triangle

	G	G	G
	r	r	r
	p	p	p
	1	2	3
Mean X1	3.5500	Grp 1	
	3.9163	Grp 2	*
	4.2933	Grp 3	**